



O'ZBEKISTON RESPUBLIKASI
OLIY VA O'RTA MAXSUS
TA'LIM VAZIRLIGI



O'ZBEKISTON RESPUBLIKASI
INNOVATSION
RIVOJLANISH VAZIRLIGI

IQTIDORLI TALABALAR, MAGISTRANTLAR, TAYANCH
DOKTORANTLAR VA DOKTORANTLARNING

TAFAKKUR VA TALQIN

MAVZUSIDA RESPUBLIKA
MIQYOSIDAGI ILMIY-AMALIY
ANJUMAN TO'PLAMI



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**O'ZBEKISTON RESPUBLIKASI OY VA O'RTA
MAXSUS TA'LIM VAZIRLIGI
BUXORO DAVLAT UNIVERSITETI
MAGISTRATURA BO'LIMI**

**IQTIDORLI TALABALAR, MAGISTRANTLAR, TAYANCH
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kabi belgilash kiritib, shu tenglamadan $f_1(x)$ funksiya uchun quyidagi ifodani topib olamiz:

$$f_1(x) = \frac{g_1 - \mu v_0(x) + \lambda v_1(x)c}{u(x) - z} \quad (4)$$

$f_1(x)$ uchun topilgan (4) ifodani (2) tenglamalar sistemasining birinchi tenglamasiga va (3) belgilashlarga olib borib qo'yamiz. Yuqoridagi belgilashlar va $I(z) = 0$ tenglikdan foydalansak quyidagi tenglikka ega bo'lamicz:

$$\begin{cases} f_0 = \frac{g_0}{\Delta_\mu^{(1)}(z)} - \frac{\mu}{\Delta_\mu^{(1)}(z)} \int_{T^d} \frac{v_0(t) g_1(t) dt}{u(t) - z}; \\ c = 0 \cdot g_0 + \frac{1}{\Delta_\lambda^{(2)}(z)} \int_{T^d} \frac{v_1(t) g_1(t) dt}{u(t) - z}. \end{cases}$$

$A_{\mu,\lambda}$ blok operatorli matritsaning $I(z) = 0$ tenglik o'rini bo'lganda rezolventasi H Gilbert fazosida

$$R_\mu(z) = \begin{pmatrix} R_{00}(z) & R_{01}(z) \\ R_{10}(z) & R_{11}(z) \end{pmatrix}$$

ko'rinishda bo'ladi. Bu yerda:

$$\begin{aligned} R_{00}(z)g_0 &= \frac{g_0}{\Delta_\mu^{(1)}(z)}; \quad R_{01}(z)g_1 = -\frac{\mu}{\Delta_\mu^{(1)}(z)} \int_{T^d} \frac{v_0(t) g_1(t) dt}{u(t) - z}; \\ R_{10}(z) &= 0; \quad (R_{11}(z)g_1)(x) = \frac{1}{\Delta_\lambda^{(2)}(z)} \int_{T^d} \frac{v_1(t) g_1(t) dt}{u(t) - z}. \end{aligned}$$

Foydalanilgan adabiyot

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P-ADIC DYNAMICAL SYSTEMS OF THE FUNCTION $a/(x - 2b)$.

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Abstract. In this paper, we study p-adic dynamical systems generated by rational functions. We consider the function $f(x) = \frac{a}{x - 2b}$ and study the

dynamical systems generated by this function in C_p . We give fixed points, periodic points, basin of attraction and Siegel disk of each fixed points.

Keywords: Rational dynamical systems; fixed point; invariant set; Siegel disk; complex p-adic field.

It is known that the theory of p-adic numbers has numerous applications in many branches of mathematics, biology, physics and other sciences.

Consider the dynamical system associated with the function $f : C_p \rightarrow C_p$ defined by

$$f(x) = \frac{a}{x - 2b}, \quad a \neq 0, a, b \in C_p,$$

where $x \neq 2b$.

Our goal here is to investigate the behavior of trajectories of $f(x) = \frac{a}{x - 2b}$ in the complex p-adic filed C_p .

Remark . Note that the value $B^* = \phi(B)$ is not concretely defined. We only have its estimation. But in our analysis the estimations given for undefined value will be sufficient. Let the function $\phi : [0, +\infty) \rightarrow [0, +\infty)$ be defined by . The following simple lemma shows that the real dynamical system compiled from ϕ^n is directly related to the p-adic dynamical system

$$f^n(x), \quad n \geq 1, \quad x \in C_p \setminus P.$$

Lemma 1 . If $x \in S_r(x_1)$, then the following holds for the function :

$$|f^n(x) - x_1|_p = \phi^n(r).$$

The following lemma gives properties of this real dynamical system.

Lemma 2 . The function ϕ has the following properties

1. $\text{Fix}(\phi) = \{r : 0 \leq r < B\} \cup \{B : \text{if } B^* = B\}$
2. If $r = B$ then $\phi(B) = B^*$, $\phi(B^*) = B$.
3. If $r > B$ then $\phi(r) = B$, $\phi(B) = B^*$, $\phi(B^*) = B$.

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PANJARADAGI UCH ZARRACHALI MODEL OPERATORGA MOS KANAL OPERATORLAR

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Annotatsiya. Bir o'lchamli panjarada lokal bo'lmagan potensialga ega uchta zarrachalar sistemasiga mos model operator qaraladi. Unga mos keluvchi ikkita kanal operatorlar aniqlanib, bu operatorlarning spektrlari tavsiflanadi.

Kalit so'zlar: panjara, model operator, lokal bo'lmagan potensial, kanal operator, spektr.

Panjaradagi uchta zarrachalar sistemasiga mos model operatorlarning (Gamiltonianlarning) muhim spektrini o'rganish masalasi chiziqli operatorlar spektral nazariyasining dolzarb muammolaridan biri hisoblanadi. Bunday model operatorlarning muhim spektrini tadqiq qilishda nisbatan sodda ko'rinishga ega "kanal operatorlar" deb ataluvchi operatorlarni aniqlash hamda ular spektrlari orasidagi bog'lanishni topish muhim ahamiyatga ega. Shu sababli mazkur maqolada kanal operatorlar topilgan. To'g'ri integralga yoyish usulidan foydalanib kanal operatorlarning spektral xossalalarini o'rganish masalasi Fridrixs

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